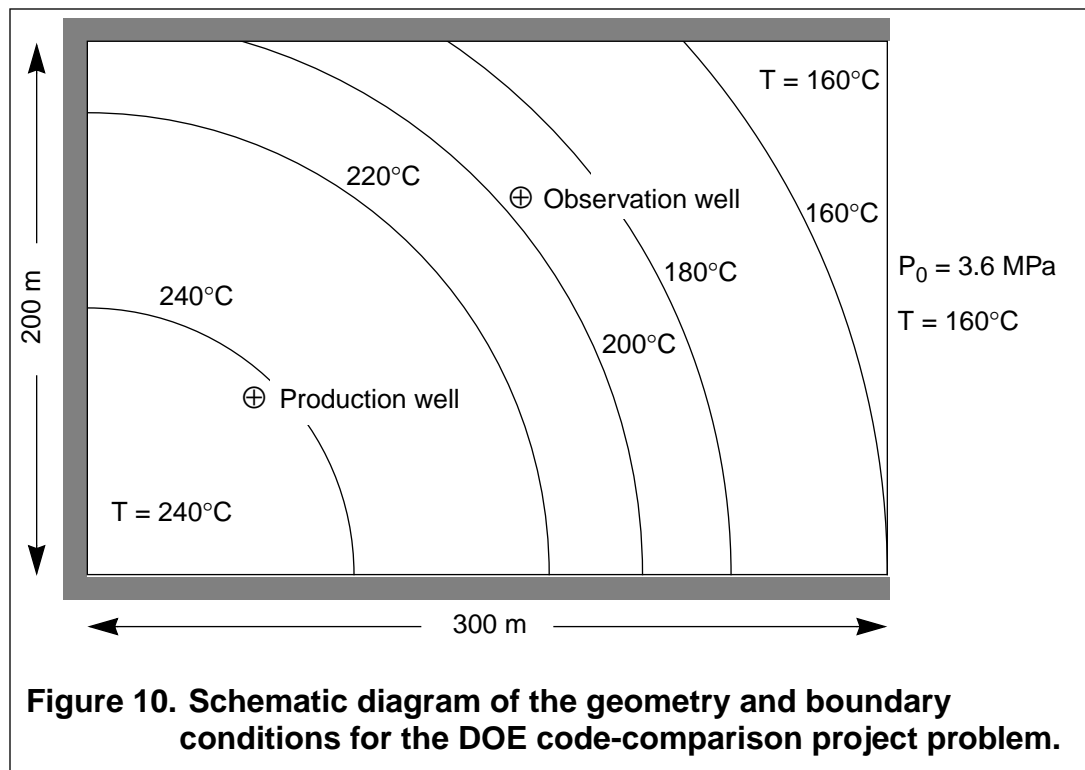


## 9.4 DOE Code-Comparison Project, Problem 5, Case A

This problem involves multiphase flow in a 2-D horizontal reservoir. The problem is characterized by a moving two-phase region, i.e., the fluid produced at the production well is replaced by cold water recharge over one of the outer boundaries. The problem parameters are given in Table IX, and the geometry and boundary conditions are shown in Fig. 10. Of particular note are the variable initial-temperature field provided to the code through a read file (see Section 5.7 on page 10), and the prescribed pressure and temperature on the right boundary. A partial listing of the input file is provided in Fig. 11. In addition to the required macros, the macro **flow** is used to specify the pressure and temperature boundary condition and the production flow rate. Macro **rlp** is used to set the residual liquid and gas saturations.

**Table IX. Input parameters for the DOE code-comparison project problem**

| Parameter   | Symbol   | Value  |
|---|--|--|
| Reservoir permeability  | $k$  | $2.5 \times 10^{-14} \text{ m}^2$                                      |
| Reservoir porosity  | $\phi$   | 0.35   |
| Rock thermal conductivity   | $\kappa_r$                                       | $1 \frac{\text{W}}{\text{m} \cdot \text{K}}$                           |
| Rock density  | $\rho_r$   | $2563 \text{ kg/m}^3$  |
| Rock specific heat  | $C_r$  | $1010 \frac{\text{J}}{\text{kg} \cdot \text{K}}$                       |
| Reservoir length  | $x$  | 300 m  |
| Reservoir thickness   | $y$  | 200 m  |
| Liquid residual saturation  | $s_{lr}$   | 0.3  |
| Gas residual saturation   | $s_{gr}$   | 0.1  |
| Reservoir discharge   | $q_m$  | $0.05 \frac{\text{kg}}{\text{m} \cdot \text{s}}$                       |
| Initial Pressure  | $P_o$  | 3.6 MPa  |
| Production well coordinates:  | $x = 62.5 \text{ m}, \quad y = 62.5 \text{ m}$   |  |
| Observation well coordinates:   | $x = 162.5 \text{ m}, \quad y = 137.5 \text{ m}$ |  |
| Initial temperature distribution ( $T$ in $^{\circ}\text{C}$ , $r$ in m):   |  |  |
| $T(x, y, 0) = \left\{ \begin{array}{l} 240 \\ 240 - 160\left(\frac{r - 100}{200}\right)^2 + 80\left(\frac{r - 100}{200}\right)^4 \\ 160 \end{array} \right\}$ |  | $\begin{array}{l} 0 \leq r \\ 100 < r < 300 \\ r \geq 300 \end{array}$ |
| where $r = \sqrt{x^2 + y^2}$  |  |  |



There is no analytical solution for this problem, but six researchers produced results for the DOE code-comparison project (Molloy 1980). The reader is referred to this reference for a more detailed discussion of this problem and the code comparison. Results from this problem are compared to those for the other codes, obtained from Molloy (1980), as a check on FEHM. The results for the outlet temperature, shown in Fig. 12, are in excellent agreement with the other codes. The results for the outlet pressure and pressure at an observation well 125 m distant (Fig. 13) are also in good agreement with the other codes. Contour plots of pressure and temperature at the end of the simulation were also generated for this problem and are shown in Fig. 14 and Fig. 15.

```

*** DOE Code Comparison Project, Problem 5, Case A ***
node
  2
  50 88
sol
  1 1
init
  3.6 0.240. 0.0. 240.0. 0.
rlp
  2 0.30.1 0.00.0
  1 140 1 1
rock
  1 140 1 2563. 1010. 0.35
cond
  1 140 1 1.00e-00 1.00e-00 1.00e-00
perm
  1 140 1 2.5e-14 2.5e-14 0.e-00
flow
  88 88 1 0.050 -25.00 0.
  14 140 14 3.600 -160.00 1.
time
  30.03650.100001000199403
ctrl
  40 1.e-0708
  1 140 1 1
  1.0 0.01.0
  40 1.20.1 60.
  1 0
coor
  140
  .
  .
  .
elem
  4 117
  .
  .
  .
stop

```

**Figure 11. FEHM input file for DOE problem.**

